

Diagnosis.

Results of diagnostic tests.

How good is the test, i.e. is it sensitive and specific?

Will it help you reach a diagnosis, i.e. will it change our minds from what we thought before the test (the "pre-test" probability) to what we think afterwards (the "post-test" probability).

Do the results make a condition more or less "likely"?

Two by two table.

		Result of gold standard test	
		Disease present a + c	Disease absent b + d
Result of diagnostic (or screening) test	Test positive a + b	True positive a	False positive b
	Test negative c + d	False negative c	True negative d

Two by two table (version for printing).

		Result of gold standard test	
		Disease present a + c	Disease absent b + d
Result of diagnostic (or screening) test	Test positive a + b	True positive a	False positive b
	Test negative c + d	False negative c	True negative d

Sensitivity.

The proportion (fraction) of those people who **really have** the disease (a+c) who are correctly identified as such (a). i.e. the **true positives**.

From two by two table:

$$\text{Sensitivity} = a/(a+c).$$

Specificity.

The proportion (fraction) of those people who **really do not have** the disease (b+d) who are correctly identified as such (d). i.e. the **true negatives**.

From two by two table:

$$\text{Specificity} = d/(b+d).$$

Likelihood ratio of a positive test.

The probability of a **positive** test result when the patient **has** the disease compared to a patient without the disease.

$$\text{Likelihood ratio of a positive test} = \text{sensitivity} / (1 - \text{specificity}).$$

Likelihood ratio of a negative test.

The probability of a **negative** test result when the patient **does not** have the disease compared to a patient with the disease.

$$\text{Likelihood ratio of a negative test} = (1 - \text{sensitivity}) / \text{specificity}.$$

Accuracy.

The proportion of **all** tests that gave a **correct** result. i.e. the true positives and true negatives as a proportion of all tests.

From the two by two table:

$$\text{Accuracy} = (a + d) / (a + b + c + d).$$

Pre-test probability.

The probability of a patient having a disease before the diagnostic test is carried out.

The pre-test probability is the same as the **prevalence** of that disease in a population similar to the patient.

From the two by two table:

$$\text{Pre-test probability (prevalence)} = \frac{(a+c)}{(a+b+c+d)}.$$

Post-test probability.

After running the diagnostic test, the post-test probability of the patient having the disease is the number of people who **truly** have the disease (a) as a proportion of those who **tested positive** (a+b).

From the two by two table:

$$\text{Post-test probability} = \frac{a}{(a+b)}.$$

Positive predictive value.

The proportion (fraction) of the people who **test positive** (a+b) who **truly** have the disease (a).

From two by two table:

$$\text{Positive predictive value} = \frac{a}{(a+b)}.$$

Negative predictive value.

The proportion of people who **test negative** (b+d) who **truly do not have** the disease (d).

From two by two table:

$$\text{Negative predictive value} = d/(c+d).$$
